

3D Spectral Radiative Transfer with IRIS 3D Radiation Magnetohydrodynamics with PLUTO results and perspectives

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AIPS Workshop: Stellar physics at Paris Observatory (30 June 2022)

Outline

3D spectral radiative transfer for spectral diagnostics: IRIS

- Major physics and numerical features
- application to a laboratory radiative shock
- irradiance from any 3D structure
- on-going and future developments

3D radiation magnetohydrodynamics modeling with PLUTO

- magnetospheric accretion on a CTTS
- NLTE RMHD equations
- precursor UV emitter in accretion column
- future perspectives

IRIS: major features

(Ibgui et al. 2013, A&A, 549, A126)

generic 3D spectral radiative transfer code
for the analysis of any radiating object

IRIS post-processes 3D (radiation) (magneto) hydrodynamics (RMHD) simulations in order to calculate **synthetic spectra** (and emissivity maps).

IRIS solves the 3D radiative transfer equation to determine the **spectral specific intensity**:

$$I(\vec{r}, \vec{n}, \nu, t)$$

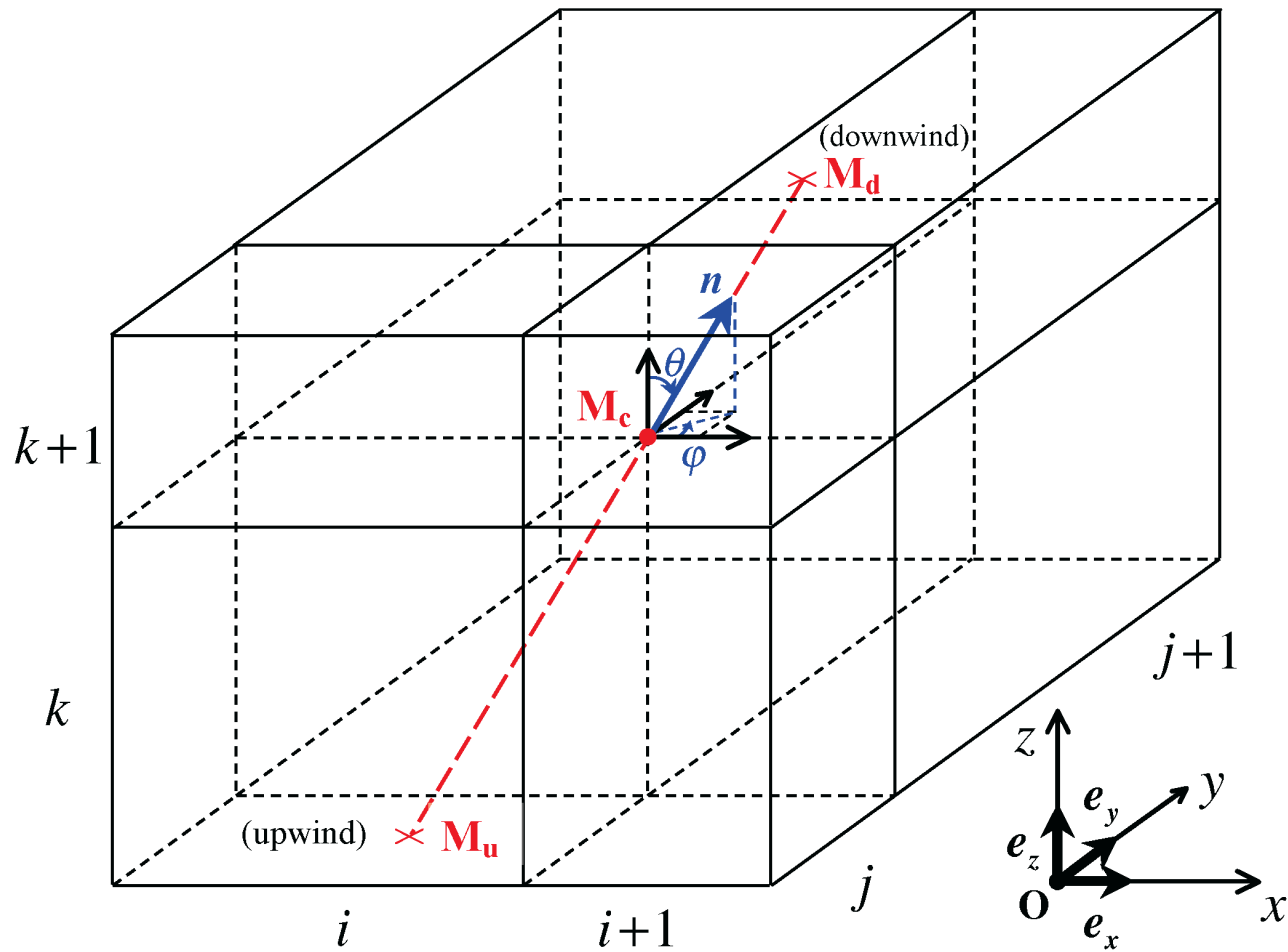
Physics:

- 3D geometry, structured non uniform Cartesian grid
- non relativistic velocities (velocity gradient effects due to Doppler shifts) (~~Sobolev approx.~~)
- boundary conditions: specified or periodic
- radiation moments (energy, flux, pressure) are calculated by angular integration

Numeric:

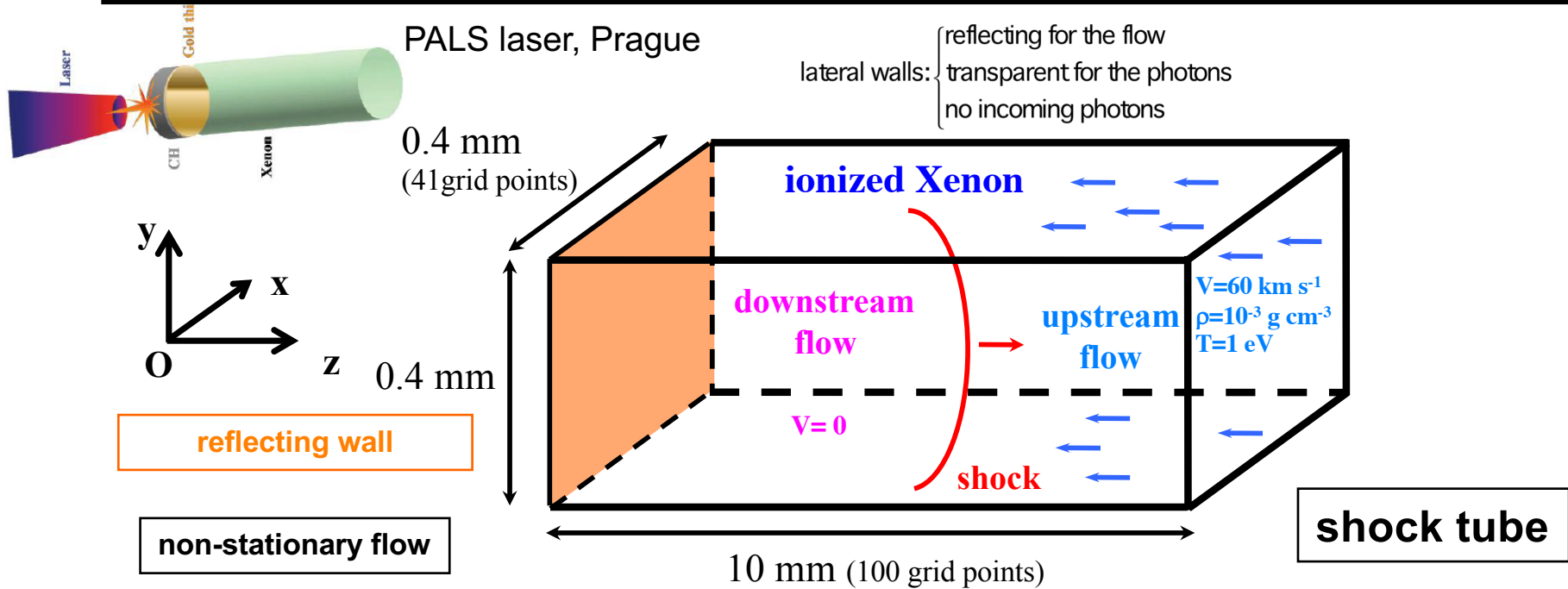
- Fortran 2003
- CPU optimized (0.2 sec / frequency / direction on a Mac Book Pro)
- short-characteristics method (Kunasz & Auer, JQSRT 1998)
- monotonic cubic interpolation (Auer, ASP 2003)
- angular quadratures (Carlson A4 1963, Carlson & Lathrop 1965, Gauss)

The short-characteristics method (3D application)



A 3D model of a laboratory radiative shock

(Ibgui et al. 2015)



3D Radiation hydrodynamics (RHD): HERACLES code
(González et al. 2007, A&A, 464, 429)

3D spectra : IRIS code
(Ibgui et al. 2013, A&A, 549, A126)
post-processes RHD snapshots

Equation of State:
$$e = (1 + \langle Z \rangle) \frac{kT}{(\gamma - 1) m_{Xe}}$$

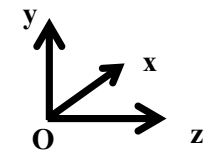
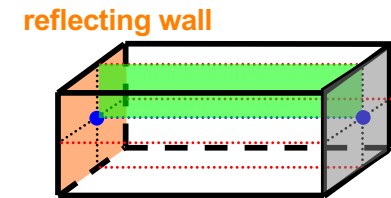
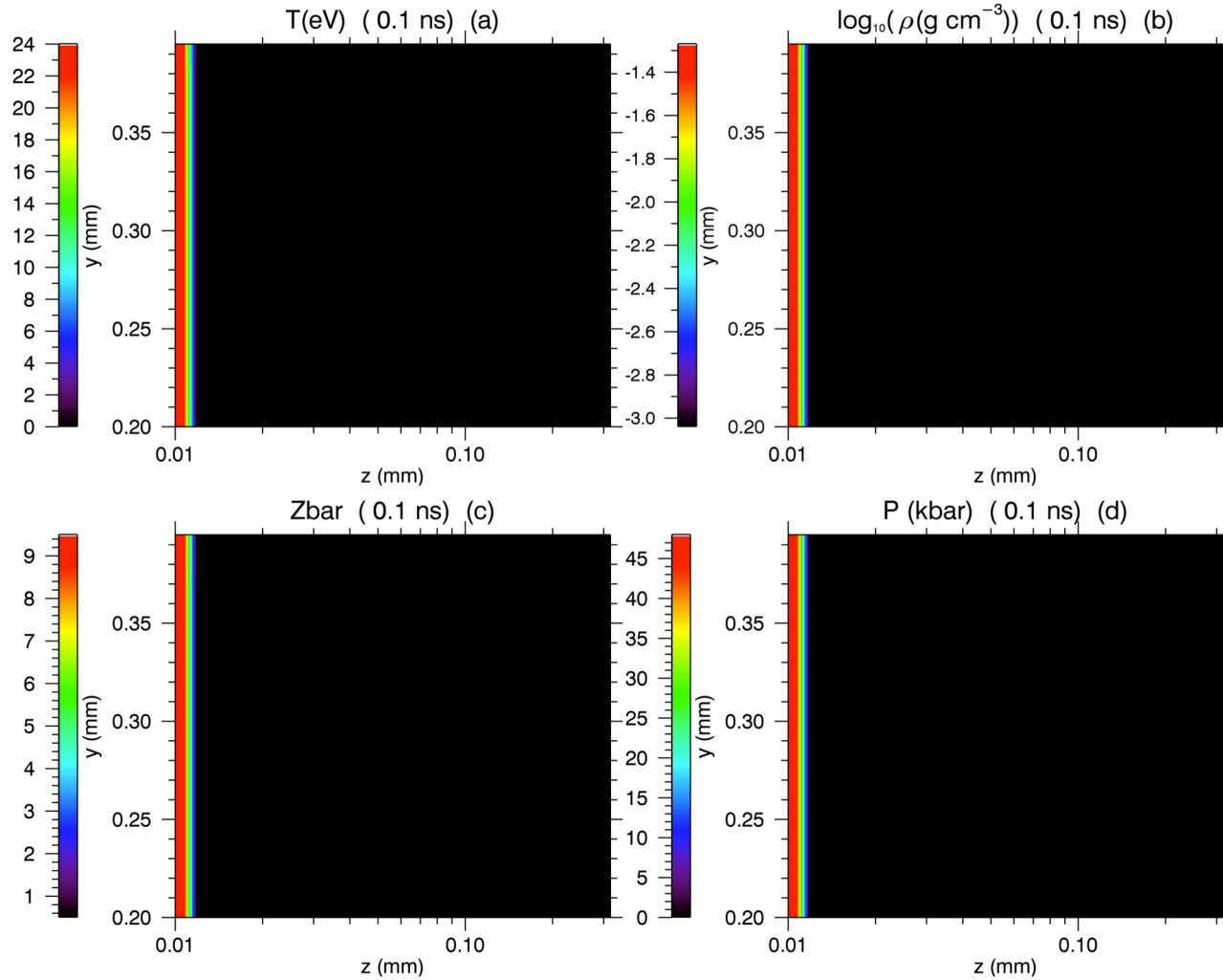
↑
mean ionization stage

grey opacities (Mirone, Gauthier et al. JQSRT 1997)

spectral opacities: Screened Hydrogenic Model (Michaut, Stehlé et al. 2004, EPJD 28, 381)

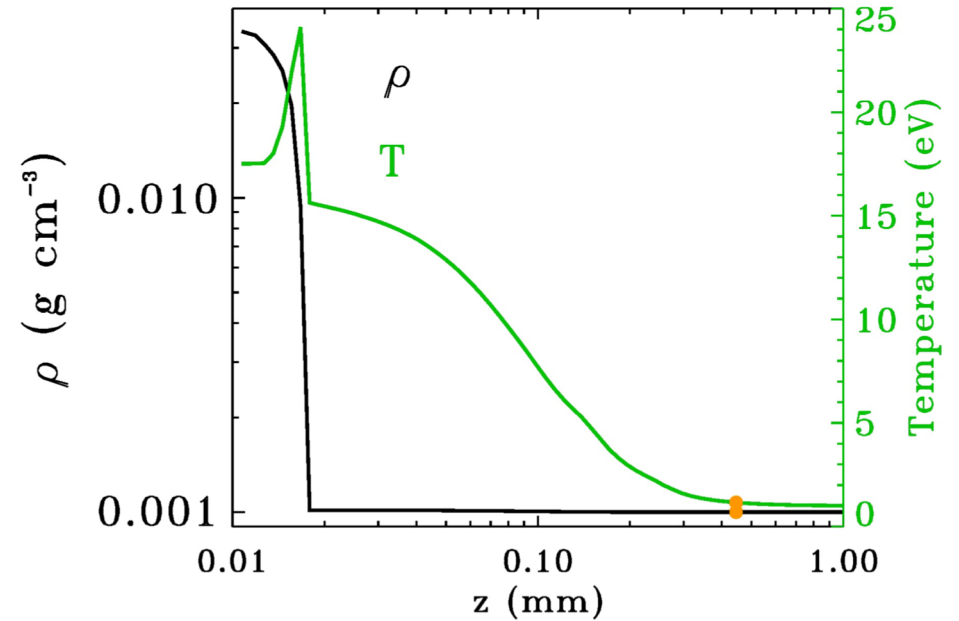
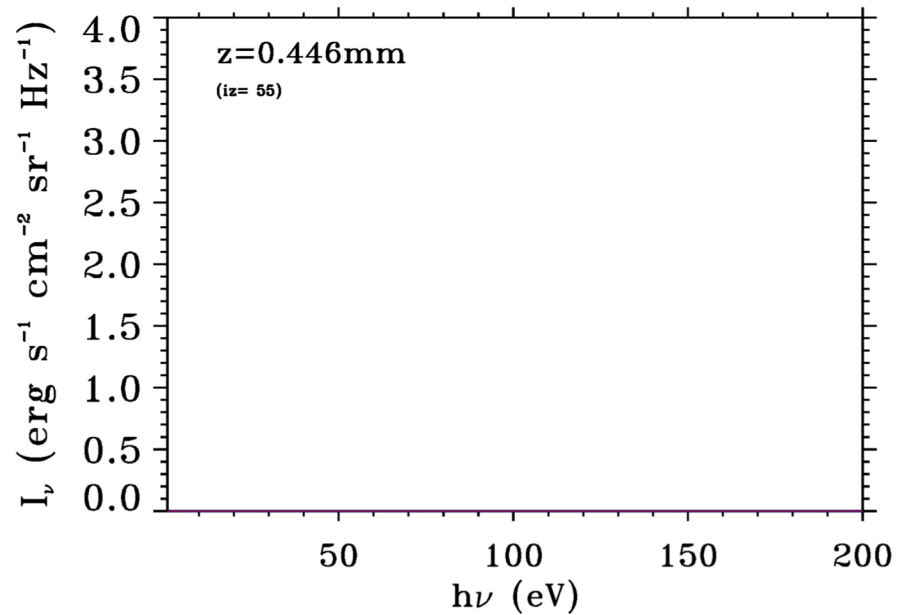
transitions: { bound-bound
bound-free (photoionization)
free-free

3D structure and radiative properties of a radiative shock: Radiation Hydrodynamic simulation: non stationary evolution (HERACLES)

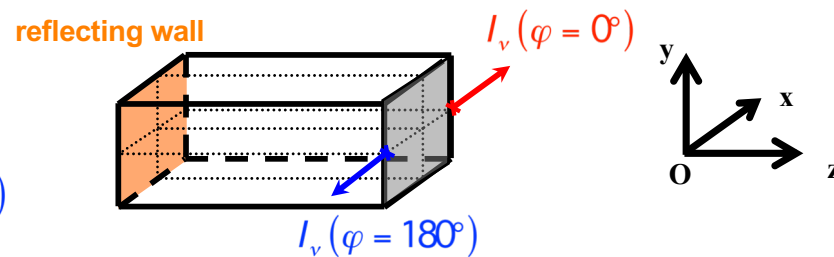


(Matthias González)

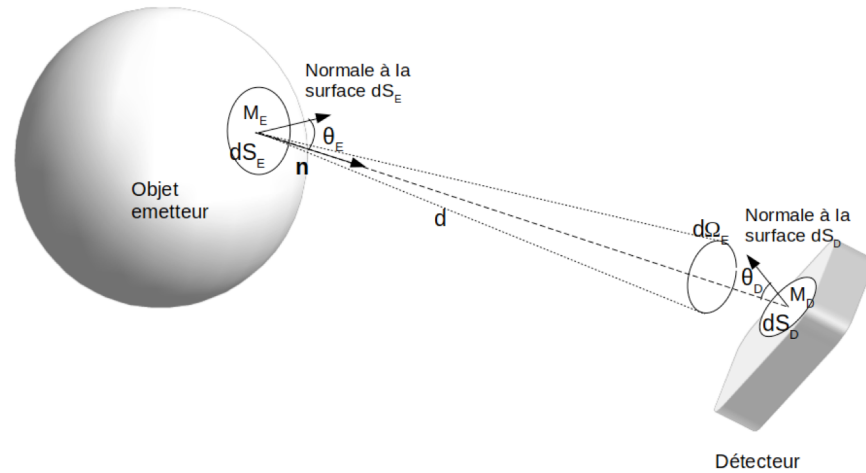
3D structure and radiative properties of a radiative shock: spectral specific intensities in **lateral directions** (IRIS)



$$I_\nu(x_{\text{border}}, y_{\text{center}}, z, \theta = 90^\circ, \varphi = 0^\circ) = I_\nu(x_{\text{border}}, y_{\text{center}}, z, \theta = 90^\circ, \varphi = 180^\circ)$$



Irradiance (éclairage) from any 3D structure



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unresolved object at infinite distance

irradiance

$$\mathcal{E}(M_D, \nu, t) = \frac{\cos \theta_D}{d^2} I_{\text{ray}}(n, \nu, t)$$

$$(\text{W m}^{-2} \text{ Hz}^{-1})$$

$$(\text{erg s}^{-1} \text{ cm}^{-2} \text{ Hz}^{-1})$$

radiant intensity

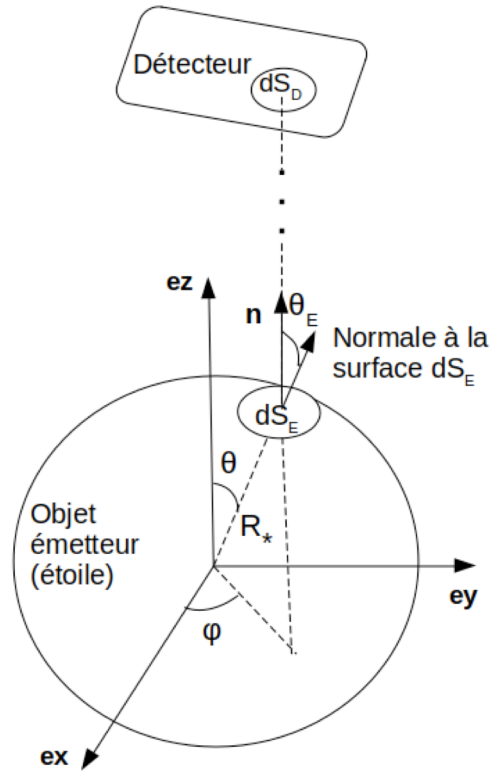
$$I_{\text{ray}}(n, \nu, t) = \int_{S_E} I(M, \theta_E, \varphi_E, \nu, t) \cos \theta_E dS_E$$

$$(\text{W sr}^{-1} \text{ Hz}^{-1})$$

$$(\text{erg s}^{-1} \text{ sr}^{-1} \text{ Hz}^{-1})$$

Irradiance (éclairement) from a spherical blackbody

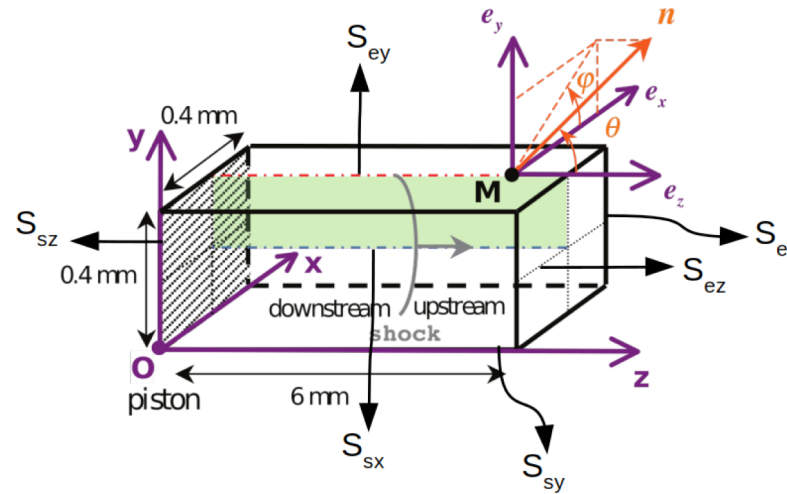
Avila Orta, June 2022



$$\varepsilon(M_D, t) = \frac{\cos \theta_D}{d^2} \sigma T^4 R_*^2 \quad \begin{array}{l} (\text{W m}^{-2}) \\ (\text{erg s}^{-1} \text{ cm}^{-2}) \end{array}$$

Test case : laboratory radiative shock

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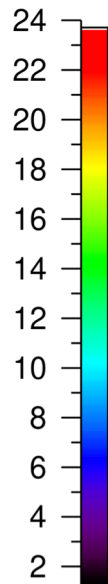
$T (10^4 \text{ K})$

28

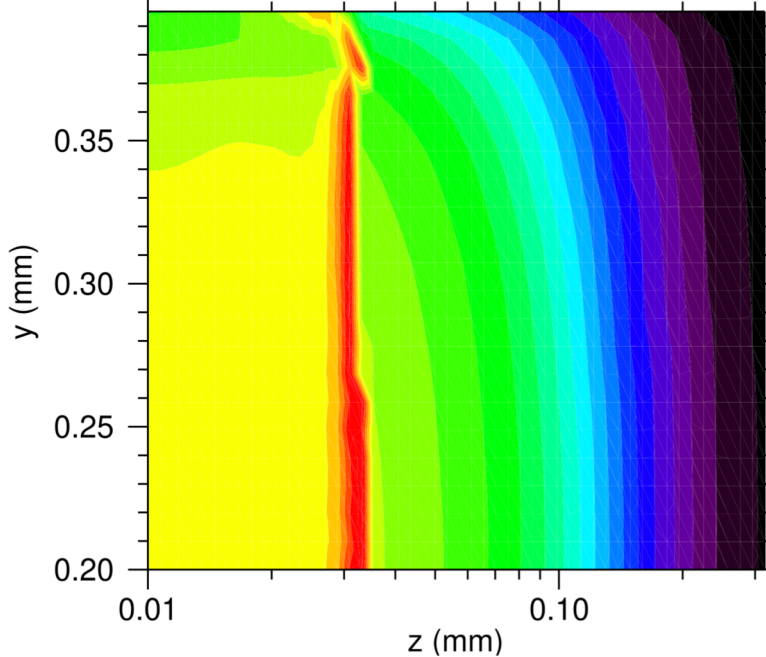
12

1,2

$T (\text{eV})$



$T(\text{eV}) (x=0.200\text{mm}) (10.0 \text{ ns}) (a)$

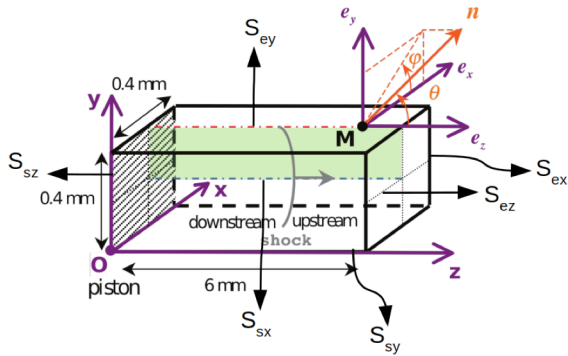


(lbgui+15)

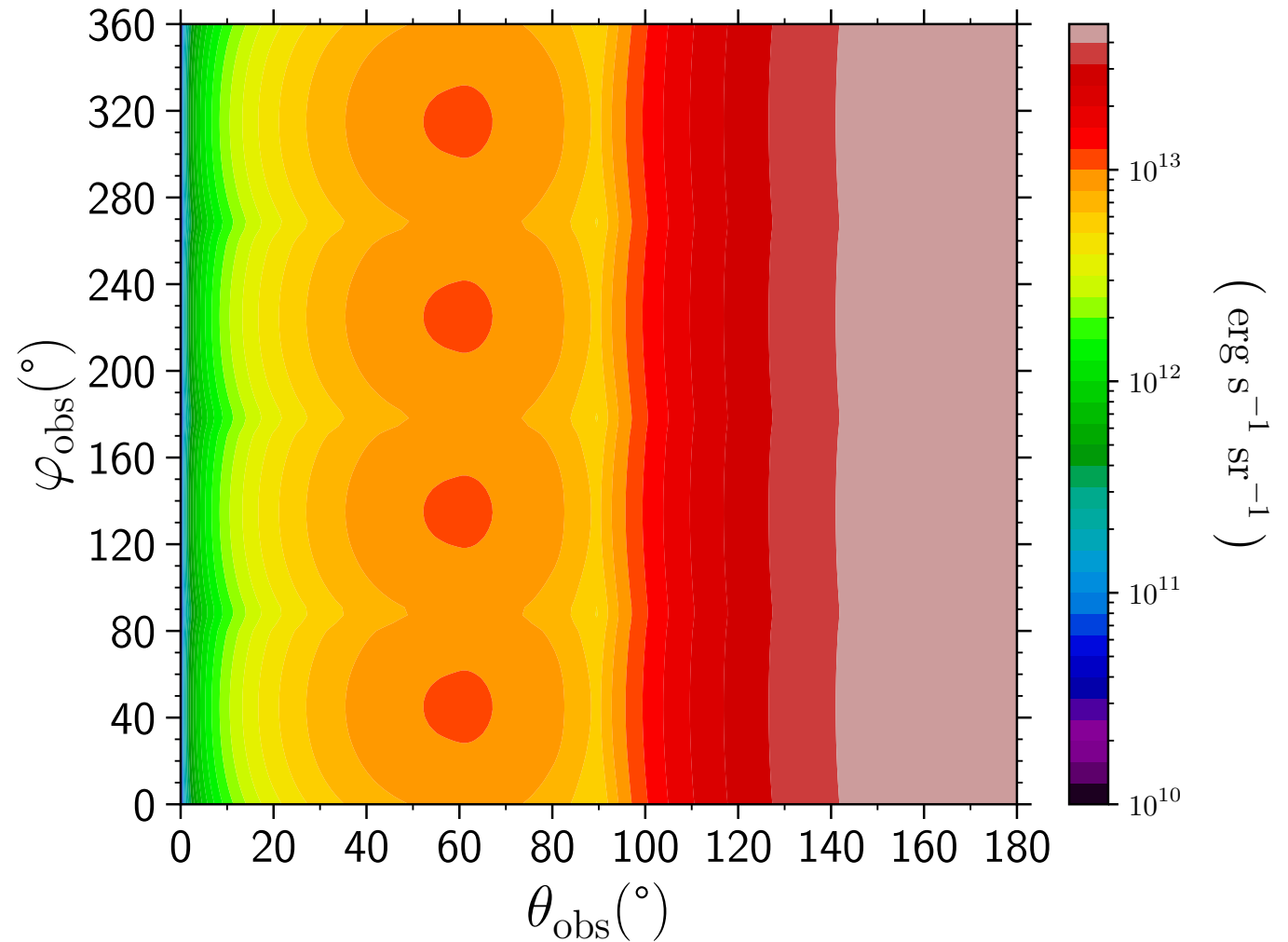
$1 \text{ eV} \leftrightarrow 11604.5\text{K}$

Test case : laboratory radiative shock

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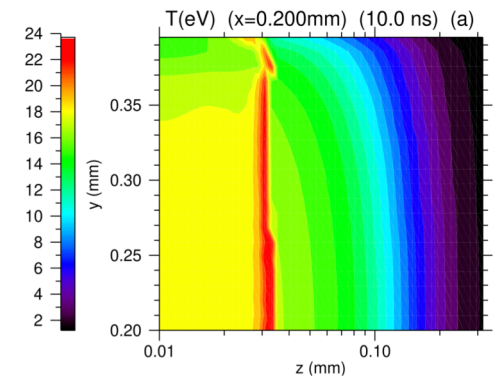
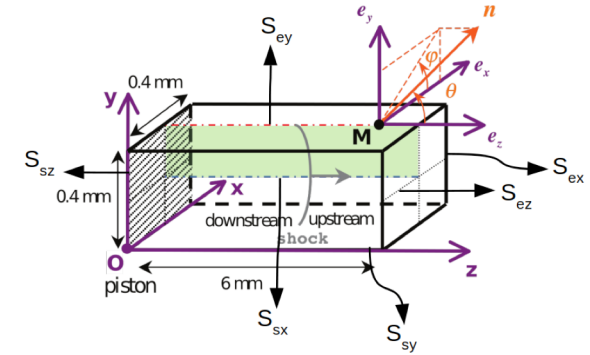
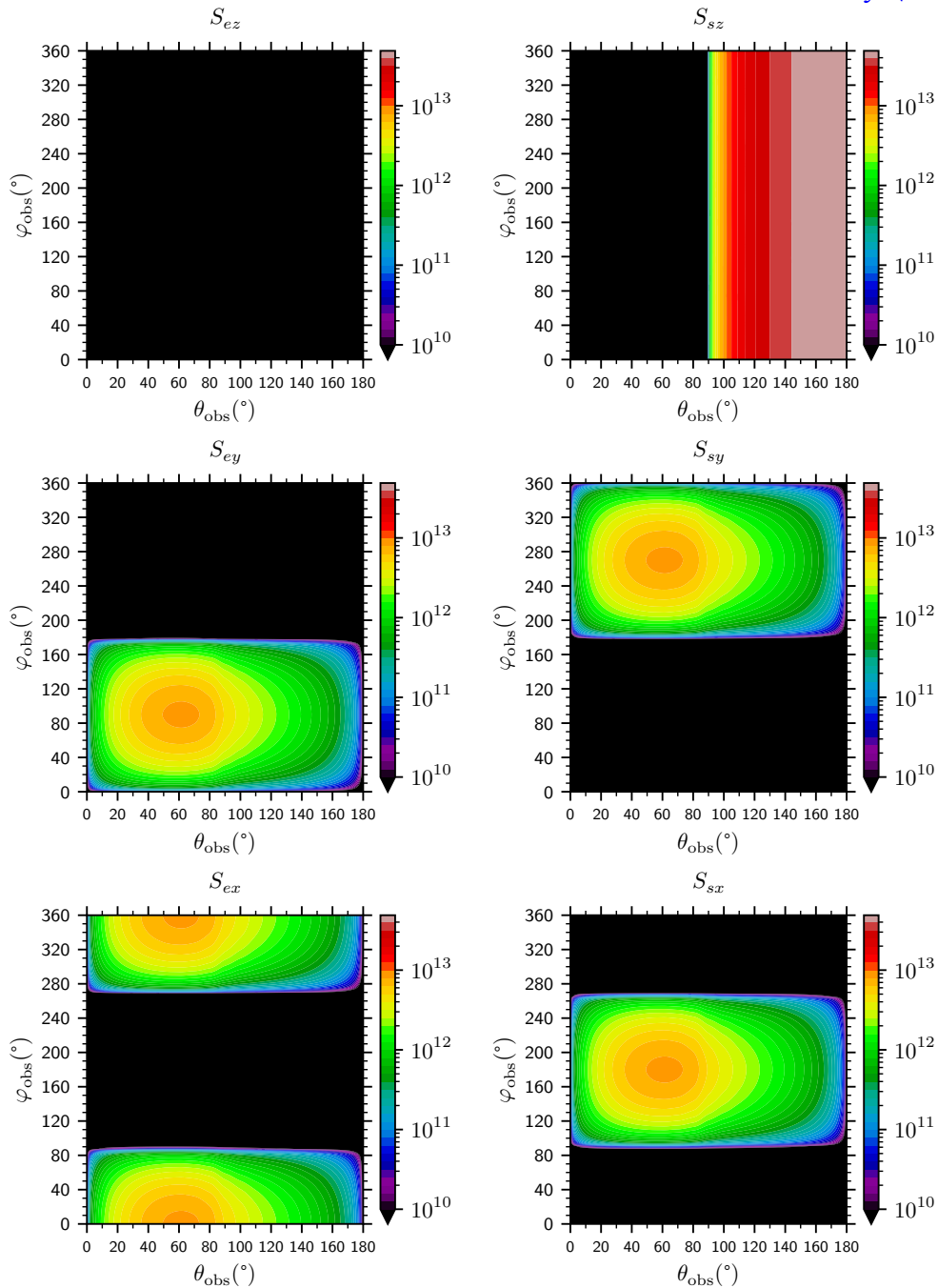
radiant intensity



radiant intensity (erg s⁻¹ sr⁻¹)

$$I_{\text{ray}}(n, \nu, t) = \int_{S_E} I(M, \theta_E, \varphi_E, \nu, t) \cos \theta_E dS_E$$

$$= \int_{S_{ez}} + \int_{S_{sz}} + \int_{S_{ey}} + \int_{S_{sy}} + \int_{S_{ex}} + \int_{S_{sx}}$$



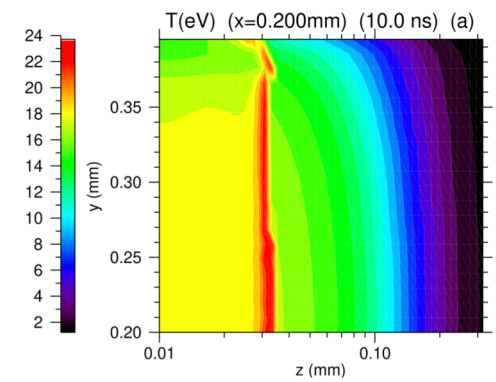
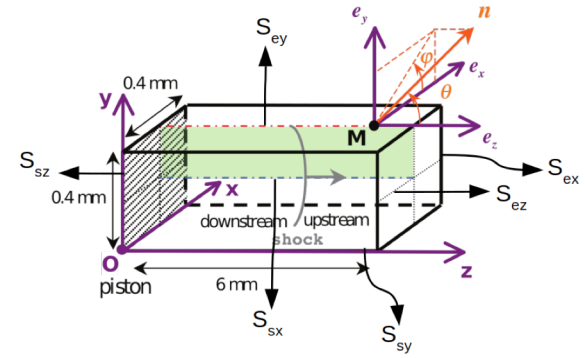
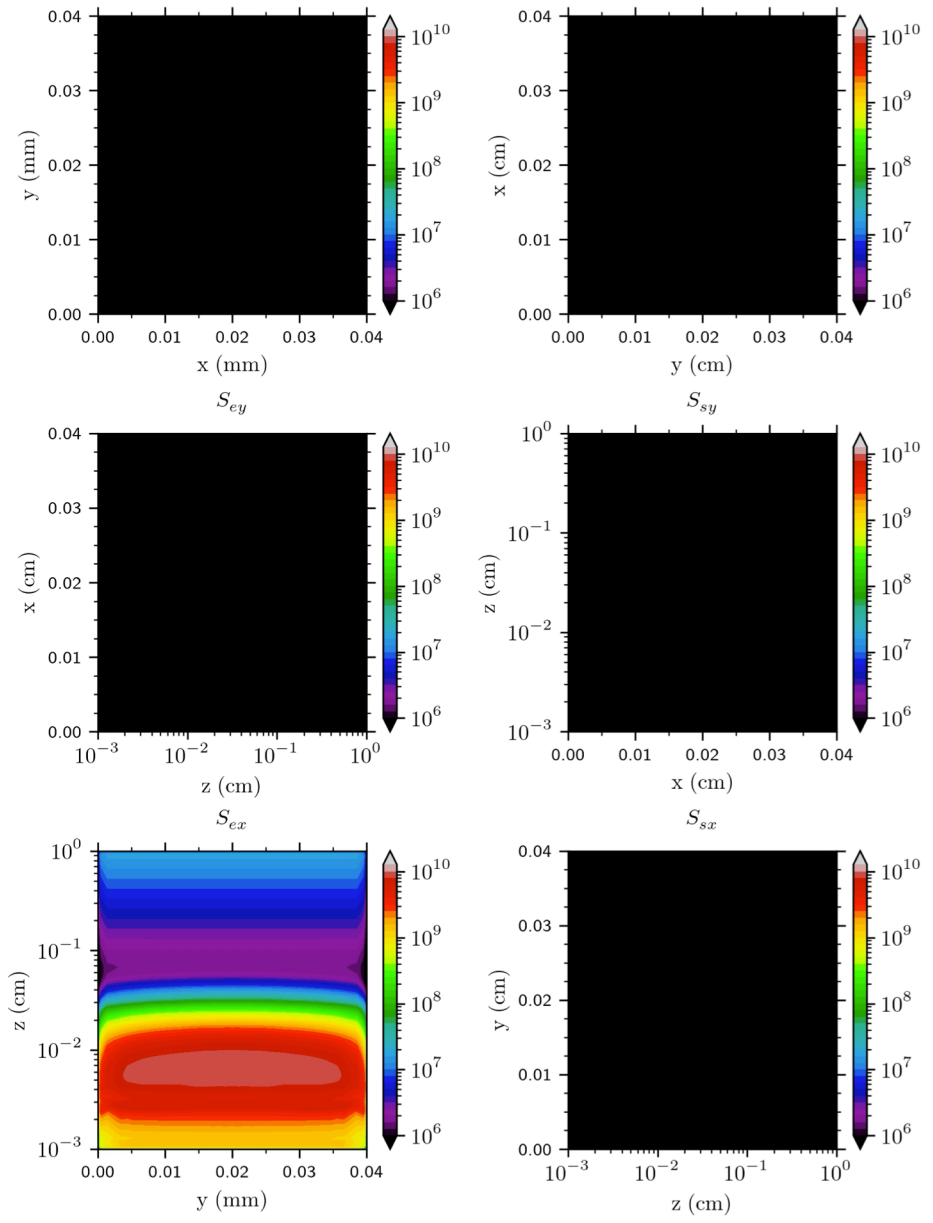
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$$I dS_e \cos \theta_e$$

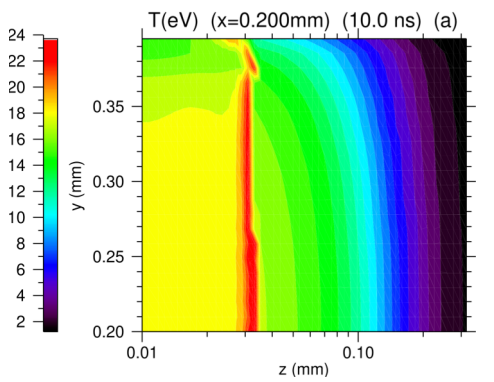
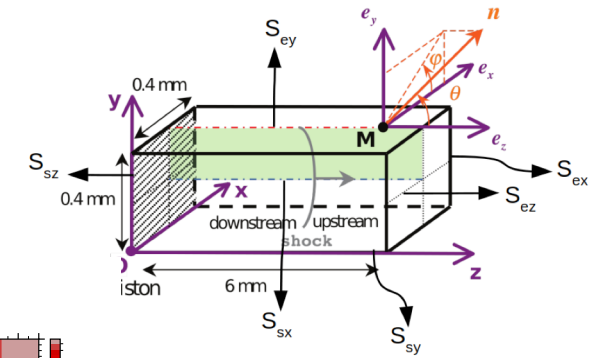
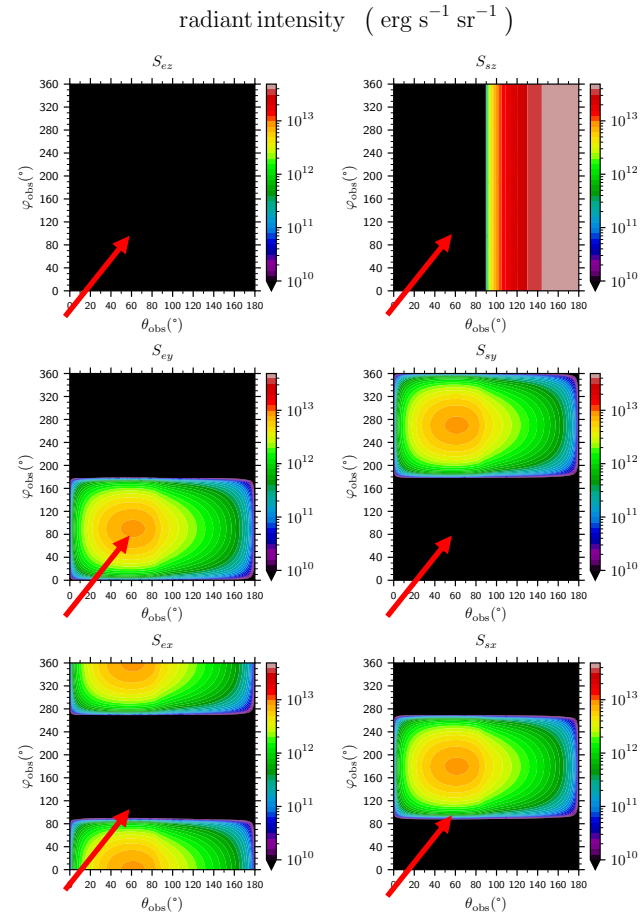
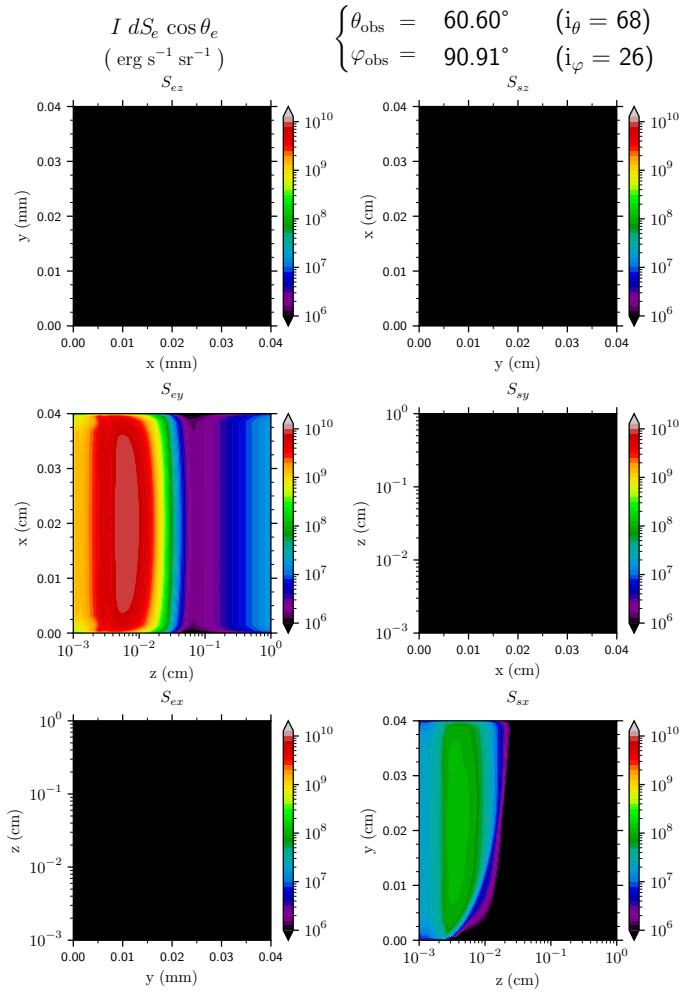
($\text{erg s}^{-1} \text{sr}^{-1}$)

$$\begin{cases} \theta_{\text{obs}} = 60.60^\circ & (i_\theta = 68) \\ \varphi_{\text{obs}} = 0.00^\circ & (i_\varphi = 1) \end{cases}$$

$$I(M, \theta_E, \varphi_E, \nu, t) \cos \theta_E dS_E$$



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Test case : laboratory radiative shock

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- a **radiative shock can be identified** for some orientations of the unresolved structure wrt observer.
- in the laboratory radiative shock case, $40^\circ < \theta_{\text{obs}} < 80^\circ$, for any φ , peak at $\theta_{\text{obs}} = 60^\circ$
- method can be readily applied to spectra with possible direct comparisons with observations
- future applications : accretion columns on T Tauri stars, **any 3D radiating structure**

Further developments with IRIS (1)

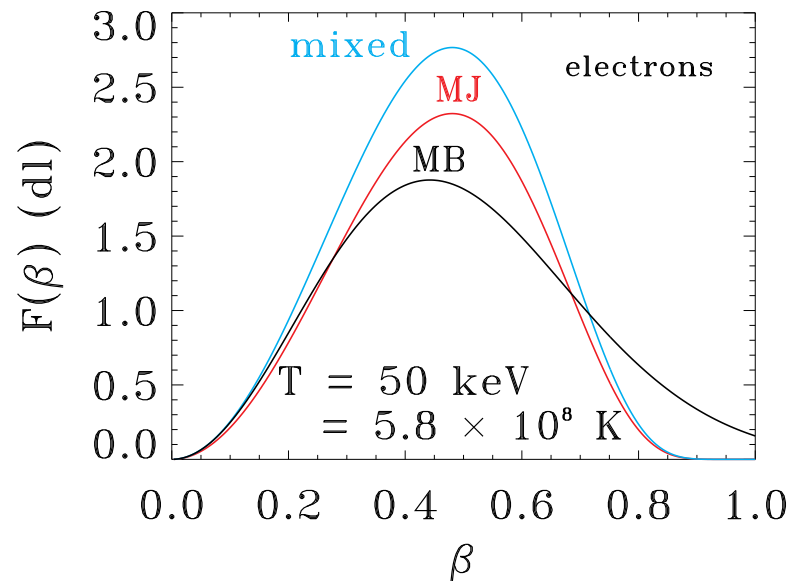
polarized radiation with **synchrotron**/cyclotron radiation (magnetized accreting white dwarfs)

Andrea Ciardi (Sorbonne U.)

CEA : Emeric Falize, Jean-Marc Bonnet-Bidaud, Clotilde Busschaert, Lucile Van Box Som

$T : 10 - 50 \text{ keV} \quad (116 - 580) \cdot 10^6 \text{ K.} \quad \Rightarrow v_{\text{thermal}} : 0.2 - 0.44 c$

mildly relativistic electrons (Maxwell – Jüttner distribution): approximate relations



Further developments with IRIS (2)

non-LTE radiation with **ALI** method (**A**ccelerated **L**ambda **I**teration)

Ivan Hubeny (University of Arizona)

opacities: C IV 1548, N V 1240, O VI 1035, Si IV 1403 , Balmer lines, ...

Applications :

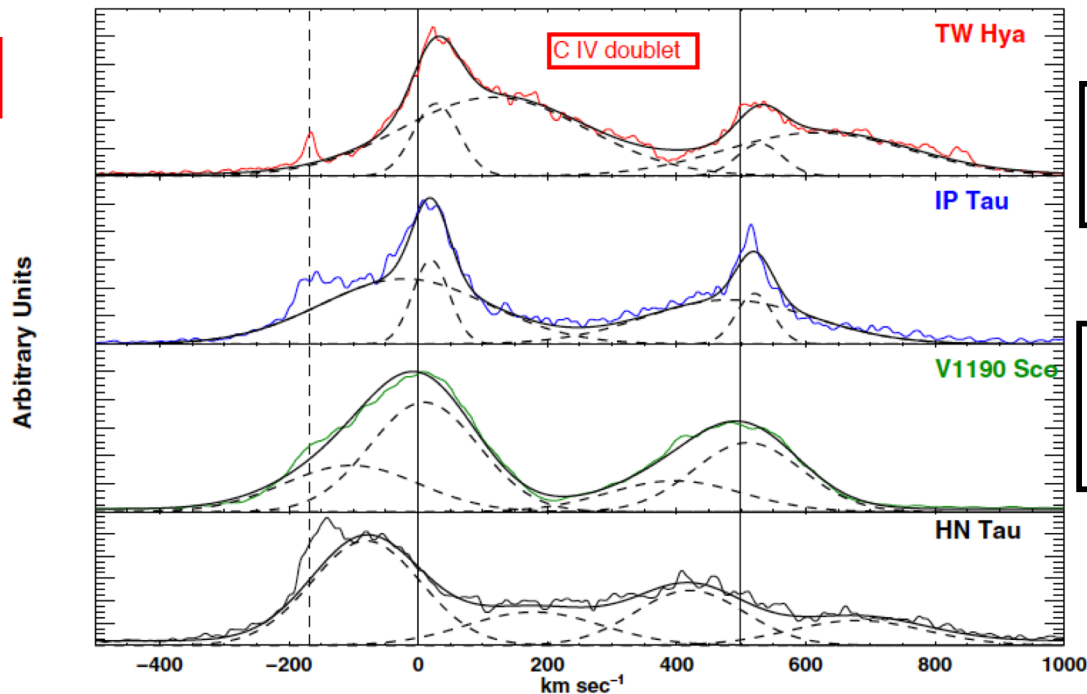
CTTSs (classical T Tauri stars)

Palermo U. , INAF, Osservatorio Astronomico di Palermo:

Salvatore Orlando, Salvatore Colombo, Rosaria Bonito, Costanza Argiroffi

POLLUX (LUVOiR)

C iv 1550 Å



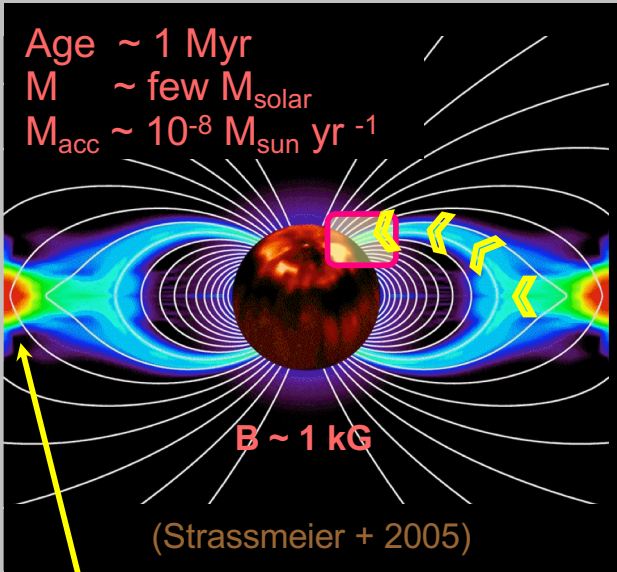
example of **observed** spectra
(Ardila et al. 2013)

**to be calculated theoretically by
IRIS**, by post-processing a RMHD
simulated structure

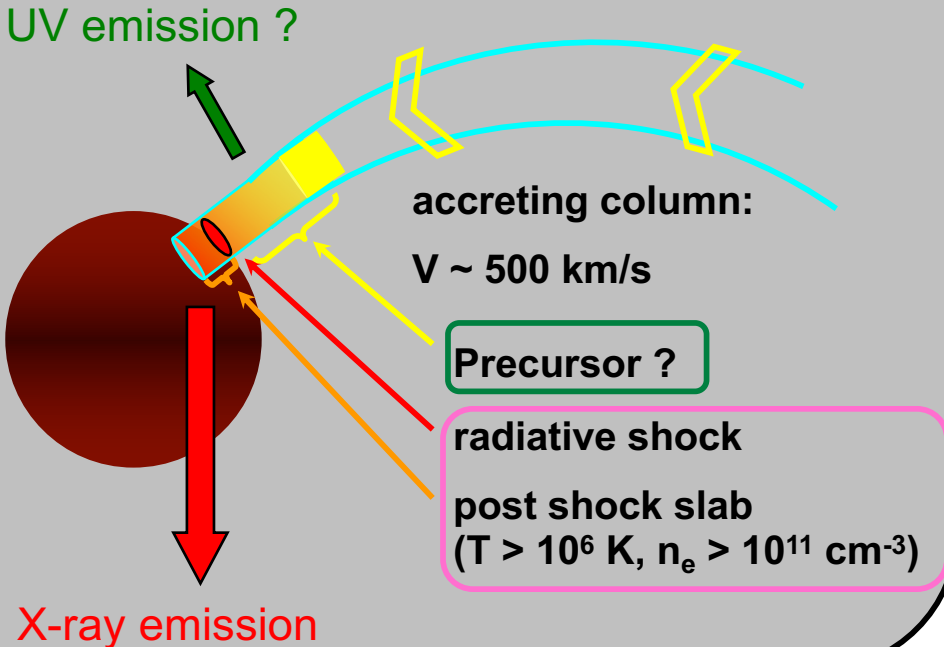
3D Radiation magnetohydrodynamic (RMHD) with PLUTO

PhD (October 2019): Colombo et al. 2019a, 2019b – Univ. and Obs. Palermo (Orlando S.)

Classical T Tauri Stars (CTTS): magnetospheric accretion scenario



Protoplanetary disc



3D Radiation magnetohydrodynamic (RMHD) with PLUTO

PLUTO code 3D MHD (Mignone et al. 2007, 2012) → 3D LTE RMHD (Kolb et al. 2013)
 → **3D NLTE RMHD** (Colombo et al. 2019)

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) = 0$$

$$\frac{\partial \rho \mathbf{u}}{\partial t} + \nabla \cdot (\rho \mathbf{u} \mathbf{u}) + \nabla p = \rho \mathbf{g} + \frac{k_R \rho}{c} \mathbf{F}$$

$$\frac{\partial \epsilon}{\partial t} + \nabla \cdot [(\epsilon + p) \mathbf{u}] = \rho \mathbf{u} \cdot \mathbf{g} + \frac{k_R \rho}{c} \mathbf{F} \cdot \mathbf{u} + \nabla \cdot \mathbf{F}_c - L + k_p \rho c E$$

$$\frac{\partial E}{\partial t} + \nabla \cdot \mathbf{F} = L - k_p \rho c E$$

$$p = \rho \frac{k_B T}{\mu m_H} \quad \mathbf{F} = -\lambda \frac{c}{k_R \rho} \nabla E$$

$$\epsilon = e + \frac{1}{2} \rho \mathbf{u}^2 \quad e = \rho c_V T$$

- Gravity
- Thermal conduction

- Non-LTE radiation effects:

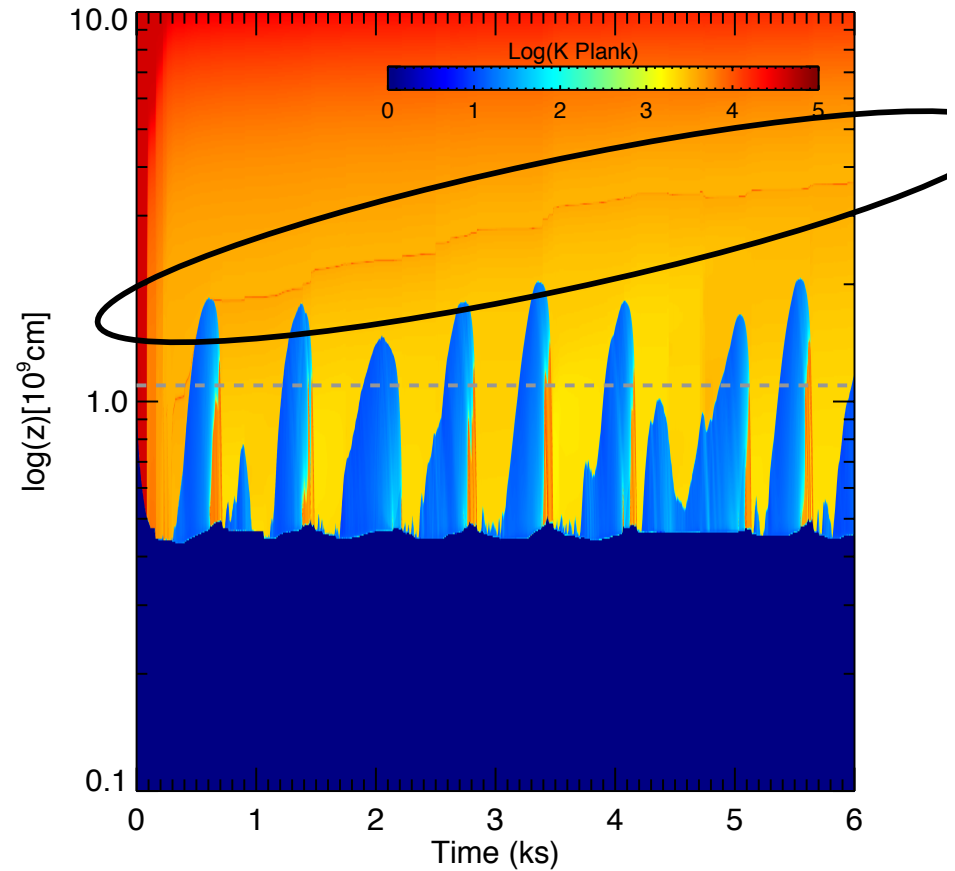
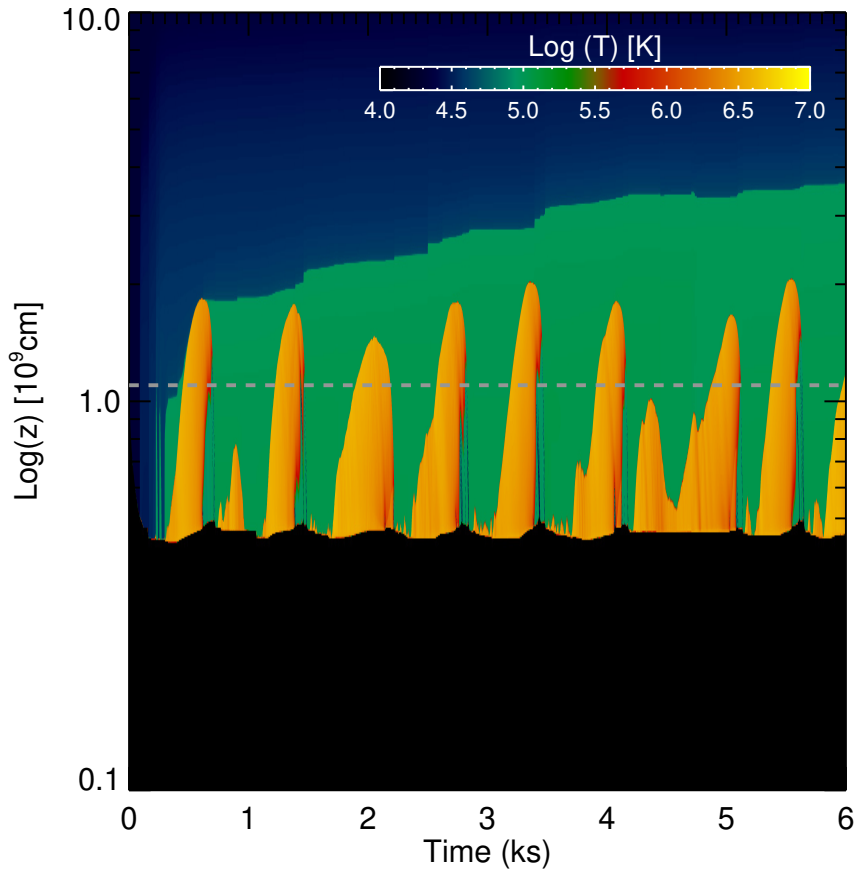
- Gain of radiation energy by matter
 - Loss of radiation energy by matter
- k_p , k_R , and L databases are calculated in a **non-LTE** regime (Rodriguez, R. et al. 2018)

3D Radiation magnetohydrodynamic (RMHD) with PLUTO

Helium effects

Gain = $k_p \rho c E$ Planck opacity ($\text{cm}^2 \text{g}^{-1}$)

Temperature (K)



3D Radiation magnetohydrodynamic (RMHD) with PLUTO

Exploring the role of radiation and magnetic field, with **multi-D RMHD** simulations.

Comparison with observations (IRIS)
(Synthetic Spectra)

Orlando et al. 2013
A&A 559, A127

